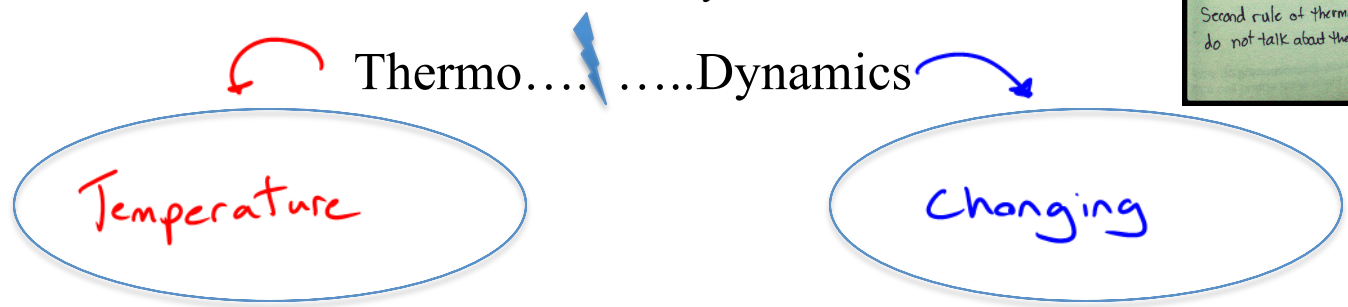


Thermodynamics

3 – Laws of Thermodynamics

Write the first and second Laws of Thermodynamics.
 First rule of thermodynamics is you do not talk about thermodynamics.
 Second rule of thermodynamics is you do not talk about thermodynamics.



In short... Thermodynamics deals with systems that are not chemically changing, that are not moving, but whose temperatures are changing.

$$\cancel{\Delta E_k} + \cancel{\Delta E_p} + \cancel{\Delta E_{chem}} + \Delta U = Q + W$$

Where: $\Delta U =$ Internal E (J)
 $W =$ Work (J)
 $Q =$ Heat (J)

$W > 0$ Work done on the system.

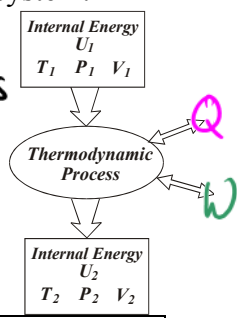
$W < 0$ Work done by the system.

$Q > 0$ Thermal Energy transferred to the system.

$Q < 0$ Thermal Energy transferred away the system.

Since all the E terms cancel we are left with what is known as the 1st Law of Thermodynamics

$$\Delta U = Q + W$$



Example:

Suppose we get our hands on an insulated container (Swell or Klean Kanteen), so that no gas can escape. If a piston is used to compress the gas what happens to the temperature of the gas?

$\Delta U = \cancel{Q} + W \rightarrow W \uparrow$ as piston compresses work is done ON the system.

$\therefore \Delta U \uparrow$

if $\Delta U \uparrow$ the Temp \uparrow

Example:

If you mix food in a magic bullet the motor does work on the system (food inside the bullet!). This work can warm up food. Suppose the Magic Bullet operates at 250 W for 100 s. During this time 4500 J of heat flow from the now warm food to the surroundings. How much does the internal energy of the food change?



$W = 250 \text{ J/s} \cdot 100 \text{ s} = 25,000 \text{ J}$

$\Delta U = Q + W = -4500 \text{ J} + 25,000 \text{ J}$

$\Delta U = +20,500 \text{ J}$

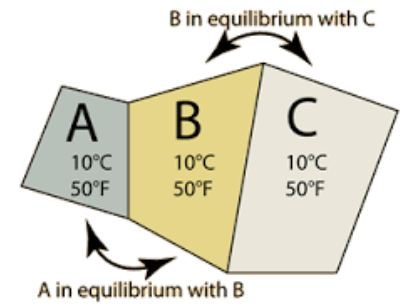
Whoops... We forgot something. Actually Everyone did... The Zeroth Law of Thermodynamics

Zeroth Law of Thermodynamics: Thermal energy will be transferred from a hotter object to a colder object until thermal equilibrium is reached.

$$Q_1 = -Q_2$$

Due to the Law of Conservation of Energy, Heat lost by one object must equal Heat gained by the second object

This was actually stated *AFTER* the First and Second Laws but scientists deemed it important that it preceded both Laws



Energy Transfer Diagrams

Thought Experiment:

If you drop a *small* hot rock in the Atlantic Ocean... What happens to the temperature of the ocean?

Heat would transfer from the rock to the ocean...
 but overall the ΔT would be so small, temperature would essentially NOT change.
 The ocean is known as a **HEAT Reservoir/Sink**

Energy Reservoir: an object or part of the environment (surroundings) that is so large its temperature does not change when thermal energy is transferred between the system and the reservoir.

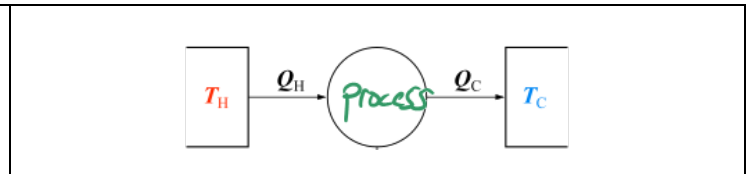
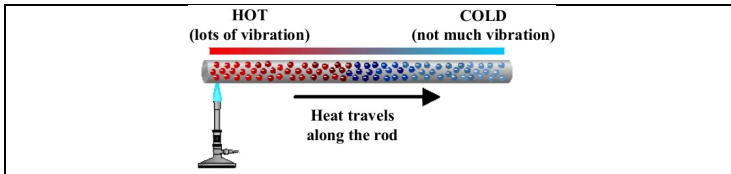
Cold Reservoir Hot Reservoir

Temperature of cold Reservoir T_C

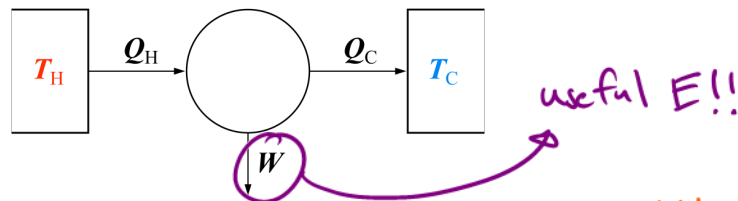
Temperature of hot Reservoir T_H

Q_C = The amount of heat transferred to or from a *cold* reservoir

Q_H = The amount of heat transferred to or from a *hot* reservoir



Heat Engine: as heat is transferred from a hot reservoir to a cold reservoir, energy can be extracted and used in other *useful* forms!



Heat engines are often judged on their efficiency. (note: Temperature *must* be in Kelvin!!!.)

$$e = \frac{\text{what you get out}}{\text{what you put in}} = \frac{W_{out}}{Q_H} = \frac{Q_H - Q_C}{Q_H} = 1 - \frac{T_C}{T_H}$$

Therefore the bigger the difference between T_H and T_C the more efficient the Heat Engine will be.

Example:

When one gallon of gasoline is burned in a car engine, $1.30 \times 10^8 \text{ J}$ of internal energy is released. Suppose that $1.12 \times 10^8 \text{ J}$ of this energy flows directly into the surroundings (engine block and exhaust system) in the form of heat. If $1.32 \times 10^5 \text{ J}$ of work is required to make the car go one km, what is the efficiency of the car?

$$e = \frac{Q_H - Q_C}{Q_H} \times 100\% = \frac{1.30 \times 10^8 \text{ J} - 1.12 \times 10^8 \text{ J}}{1.30 \times 10^8 \text{ J}} \times 100\% = \boxed{13.8\%}$$

How many km's can the car travel on one gallon of gas?

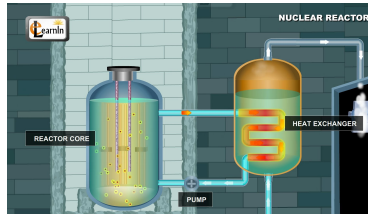
$$W_{\text{net}} = Q_H - Q_C = 1.30 \times 10^8 \text{ J} - 1.12 \times 10^8 \text{ J} = 1.80 \times 10^7 \text{ J}$$

$$d = 1.80 \times 10^7 \text{ J} \times \frac{1 \text{ km}}{1.32 \times 10^5 \text{ J}} = \boxed{136 \text{ km}}$$



Example:

In the core of a nuclear reactor nuclear reactions produce steam at extremely high pressures at a temperature of 310°C . The steam is used to generate energy (in a steam turbine) and condensed to water at 22°C . The excess heat is transferred to a nearby lake. What is the maximum possible efficiency of the nuclear reactor?



$$T_H = 310^\circ\text{C} + 273.15 = 583.15 \text{ K}$$

$$T_C = 22^\circ\text{C} + 273.15 = 295.15 \text{ K}$$

$$e = \left(1 - \frac{T_C}{T_H}\right) \times 100\% = \left(1 - \frac{295.15 \text{ K}}{583.15 \text{ K}}\right) \times 100\% = \boxed{49.4\%}$$

Example:

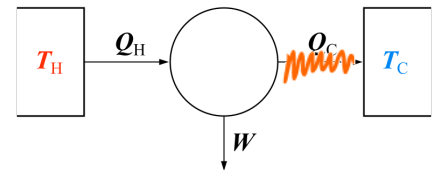
Based on the options below, which will **increase** the efficiency of a heat engine?

- a. Increase T_C
- b. Increase T_H
- c. Decrease T_C
- d. Decrease T_H

$$e = \left(1 - \frac{T_C}{T_H}\right) \times 100\%$$

Why not build a perfect Heat Engine you say?!

Carnot's Perfect Heat Engine: The most efficient heat engine allowed by **Physical Laws**. (check out the reading online for more details!)



No heat engine can be 100% efficient. Some fraction of heat must be exhausted to the cold reservoir.

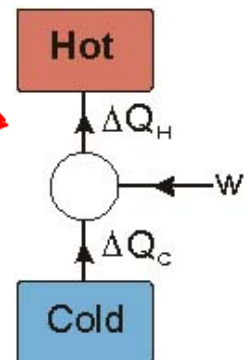
This is a fundamental law of nature! (As stated by the 2nd Law of Thermodynamics)

Heat Pumps, Refrigerators and Air Conditioners (AC)

Heat Pump: The opposite of a heat engine... transfers energy from a cold reservoir to a hot reservoir.

In order for this to "work"... work must be done on the system! ☺

Inside a refrigerator, a heat pump moves heat from it's interior (Q_C) to the outside air (Q_H).



2nd Law of Thermodynamics

Entropy (S) (*Quantitatively*): the probability that a certain state will occur.... (confusing)

Entropy (S) (*Qualitatively*): a measure of chaos ... greater S = greater chaos (less confusing)



If left to it's own devices *order* turns into *disorder/randomness/chaos*...

If your bedroom is currently in an extremely clean state ~~High Entropy/Low Entropy?~~

The 2nd Law... $S \geq 0$ Entropy of an isolated system never decreases.

entropy

Do living organisms violate the 2nd Law?

The argument goes evolution is a decrease of entropy, because it involves things getting more *organized* over time, while the second law says that things get more *disordered* over time. *So evolution violates the second law.* Do you *agree* or *disagree*? Explain below.

The statement above assumes humans exist in an isolated system... **We do NOT!**

While as a species we may lower **entropy** (organization), by living we increase overall entropy in the environment through a transfer of **Thermal Energy** to the environment.

Energy Conservation

We have been asked for years to turn of lights, bike to work/school, and to turn down the heat. But if energy can neither be created or destroyed why are we "conserving energy"? How can there be an energy crisis? Explain your thoughts below.

The energy lost is converted to **Thermal Energy**...

This change is irreversible because it cannot (efficiently) be converted back to other forms of energy.